Department of Mathematics

Faculty of Science

13 يناير 2017م الزمن: ساعتان امتحان التوبولوجي والهندسة التفاضلية رقم المقرر ورمزه: M 421 فسمالرياضيات كلية العلوم شعبة: الرياضيات

الدرجة الكلية: 50 درجة

أجب عن خمسة فقط من الأسئلة الآتية:

$$X = \{a,b,c,d,e\}$$
 بفرض أن au توبولوجي على $X = \{a,b,c,d,e\}$ حيث $au = \{X,\,\phi,\{e\},\{b,c\},\{d,e\},\{b,c,e\},\{b,c,d,e\}\}$

(ن) اوجد اصغر مجموعة جزئية
$$A \subseteq X$$
 بحيث $A \subseteq A$ اوجد اصغر مجموعة جزئية $A \subseteq X$ بحيث (i)

$$N_a\,,N_e$$
 ثم أوجد γ ثم أوجد (ii) عدد أساسا للتوبولوجي تم ثم أوجد

دا) بفرض أن
$$X = \{a,b,c,d\}$$
 ، $X = \{a,b,c,d\}$ حدد توبولوجي ذو أصغر رتبة $A = \{a,b,d\}$

على
$$X$$
 إن أمكن بحيث يجعل $A^{\circ} = \{b\}, A' = \{a\}$ على X إن أمكن بحيث يجعل X

ب) لأي فضاء توبولوجي
$$(X,\tau)$$
 أثبت أن $b(A)=b(A')$ حيث $A\subseteq X$ حيث 5) . $A\subseteq X$

و. (۵ درجات) $A \subseteq X$ لأي A° , ext(A), b(A) أوجد (X, ξ) أوجد $A \subseteq X$ لأي لفضاء النقطة المستبعدة (X, ξ) أثبت أن $A \subseteq X$ حيث $A \subseteq X$ حيث $A \subseteq X$ أثبت أن (X, τ) أثبت أن (X, τ)

بقية الأسئلة خلف الورقة

Department of Mathematics

Faculty of Science

13 يناير 2017م

الزمن: ساعتان

امتحان التوبولوجي والهندسة التفاضلية رقم المقرر ورمزه: M 421

قسمالر باضبات كلية العلوم شعبة : الرياضيات

الدرجة الكلية: 50 درجة

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$$(X,\tau)$$
 أثبت أن $b(A)=b(A^c)$ حيث (X,τ) عن 5) . $A\subseteq X$ حيث (X,τ)

 $A \subset X$ لأي A° , ext(A), b(A) أوجد (X, ξ) لأي (X, ξ) (6 درجات) ب $A \subset X$ حيث $A \subset X$ با A' فضاء توبولوجي (X, τ) أثبت أن (4 درجات)

بقية الأسئلة خلف الورقة

4- Find the curvature and torsion of the curve: $r=\{4\,e^u\,,\,e^{2u}\,,\,4u+5\}$ and prove that the curve is a Helix. Find its angle and the constant direction . If ϕ , ψ and θ are the angles which the curve makes with the coordinate axes, then prove that

$$\cos \phi + \cos \psi = 1$$
 , $\cos^2 \theta = 2 \cos \phi \cos \psi$ (10 marks)

- 5- a) Prove that the necessary and sufficient condition that the involutes of a given curve C in a plane curve is that the curve C be Helix. (5 marks)
 - b) Find the equation of the involute of the circle:-

$$X = a\cos\theta \underline{e_1} + a\sin\theta \underline{e_2} \quad , \quad a > 0$$
 (5 marks)

6- a) Show that for a curve lying on a Sphere of radius a and such that the torsion τ is never 0, the following equation satisfied:-

$$\left(\frac{1}{\kappa}\right)^2 + \left(\frac{\kappa'}{\kappa^2 \tau}\right)^2 = \alpha^2$$

(5 marks)

b) Determine the curvature $\kappa(u)$ and the torsion $\tau(u)$ of the curve given by : $\underline{\tau} = \{a(u - \sin u) \ , a(1 - \cos u) \ , bu\}$

Prove that:

$$\tau(0) \ \tau(\pi/2) \ (a^2 + b^2) = 1$$
 (5 marks)

انتهت الأسئنة مع اجمل تمنياتنا بالنجاح والتوفيق

لجنة الممتحنين :-

أ. د/أحمد عبد المنصف علام - د/راوية عبد الرحمن حسين الردن عبد الرحمن حسين الردن عبد الرحمن حسين الردن عبد الرحمن حسين الردن عبد الرحمن حسين المراحمة عبد الرحمن حسين المراحمة عبد الرحمن حسين المراحمة عبد الرحمن حسين المراحمة عبد الرحمة عبد المراحمة عبد الرحمة عبد ا

- 9. Attack that initiated by an entity inside the security perimeter
 - A. Passive.
 - B. Active.
 - C. Insider.
 - D. Outsider.
- 10. means used to deal with security attacks
 - A. Prevent.
 - B. Detect.
 - C. Recover.
 - D. All previous choices.

Question 2: Answer the following questions: (10 Marks)

- 1- Discus the term CIA Triad? (5 marks)
- 2- Mention some of the computer security challenges?(5 marks)

Question 3: Answer the following questions: (10 Marks)

- 1-What is the main difference between passive and active attacks? (2 marks)
- 2-Define the term nonrepudiation and its types? (2 marks)
- 3-Mention the top five security technologies used in practice? (2 marks)
- 4-Explain the symmetric encryption ingredients? (4 marks)

Question 4: Answer the following questions: (10 Marks)

- 1-Explain the methods used to attack symmetric encryption? (4 marks)
- 2- What is RFC 2828 definition for user authentication? (2 marks)
- 3- What are the general means of authenticating a user's identity? (4 marks)

Question 5: Answer the following questions: (10 Marks)

- 1- What is ITU-T Recommendation X.800 definition for access control? (2 marks)
- 2- Explain by a figure the relationship among access control and other security functions? (2 marks)
- 3- What is NIST definition for malware? (2 marks)
- 4- Malware are mainly classified into two broadly categories. What are these categories? Discuss another method for malware classification? (4 marks)

Dr. Tarik M. A. Ibrahim

		▼
	•	
b) 3	c) 5	d) 6
e following code		વ્યુ:*
		•
b) d	·	- d) r
0	1	• 0
O	3	0
	-	
following gods is		•
onowing code is		
b) for $k=5:1$	c) for $k=5:1$	d) non
1		1 -
end	end	•
code		
fre(a)		
jr(u)		
		-
+ <i>i</i>		
	b) d o o o b) for k=5:1 disp(k-1) end	b) 3 c) 5 c following code b) d c) 1 0 2 0 3 collowing code is b) for k=5:1 disp(k-1) end code

end put a=0 then the o	utput is								
a) 10	b) 11	c) 25	d)15						
6. Convert the octa	al number 754 ₈ to	decimal number							
a) 469 ₁₀	b)492 ₁₀	c)499 ₁₀	d)459 ₁₀						
7. The binary equi	valent of 7573 ₈								
a) 111011101100	b) 11101111011	c) 1010110101	d)111101111011						
8. The product of 1	0011 *101 equals								
a) 1100111	b) 1011111	c) 1101111	d) 111111						
9. The summation	of 453 ₈ +542 ₈ =	•••••							
a) 995 ₈	b) 1077 ₈	c) 1027 ₈	d) 1227 ₈						
10.The number 757	3 ₈ equivalents to h	nexa-decimal numb	er						
a) F7B	b) E7B	c) FF7	d) B5F						
	Answer Table Section 2								
Que	stion 1 2 3 4	5 6 7 8 9 10							
An	swer								

== Best Wishes ==

Dr Hanaa Sayod

Dr Asaa

Fahiem

a) <u> </u>			b) [153.47			c) _		•/	7	d)	$\langle \rangle$
8.In flo	w chart, we can	ехр	ress	to th	ne di	scus	sion	wit	h		•••••	•
) (b)	6-4			c) _			7	d)	
9. We c	an classify the a	lgor	ithm	in th	hree	diff	eren	t typ	e	• • • • •	•••••	••••
)sequen ranchin	ce, selection and g		b)bracalcu loop			ıd	c) seq brand loop	-		1	•	lection, lation and
0. What	symbols preced	e co	mme	nts ir	n MA	\TL	AB			<u></u>		
)''			b)%			1	c) //				d)c'	
			Ansv	ver [Tabl	e Se	ection	n 1	*	**		
	Question	1	2	3	4	5	6	.7	8	9	10	
	Answer											
	Question	11	12	13	14	15	16	17	18	19	20	
	Answer										,	
			1				1					J
	on 2: from :							<u> </u>		v ex	ecute	es?
		O. C	,, ,,,			200021						•••
for	=0; r I=1:2:5 U=JJ+1; d											
			b)3				e)5				d) 0	

7. Gigabyte=	•••••		
a) 1 million bytes	b)1 thousand bytes	c)1 billion , bytes	d) 1 trillion bytes
8. The laptop computers	or notebook com	puters are	computers
a) Micro	b) Mainframe	c) mini	d) Super
9. A well designed comp	uter program mus	it be:	
a) correct and accurate	b) easy to understand	c) easy to maintain and update	d) a, b and c
10 occurs whe	n the rules of pro	grams are violate	ed.
a) syntax error	b) run-time errors	c) logic error	d) comments
11 translates the language.	ne program in ass	embly-language i	nto <i>machine-</i>
a) function	b) Compilers	c) Assemblers	d) Interpreters
12.Which Matlab comma unknown number of ti	•	to repeat a set of	commands an
a)while	b) for	c)if	d)disp
13. Let x = [2 5 1 6]. How c	an we compute th	ne square root of	each element
a) square(x)	b) x.^(1/2)	c) [1.4 2.2 1 sqrt(6)]	d) x^(1/2)
14. Which Matlab comma	nds create a vecto	or of the even who	ole numbers
a) 32:2:75	b) 31:75,2	c)31,33,,75	d) 31-75/2
15.In Matlab, which of the statement of an IF stat		ols cannot be used	in the condition
a) >	b) <=	c) ==	d) =
16. Given the matrix input referenced by A(3,2)?	in Matlab A = [1	5 7; 2 6 4; 3 8 2], v	vhich value is
a) 8	b) 4	c) 6	d) s

Q4	Co	mplete FIVE ONLY of the following:	10
	a)	(1) Memorizing data or references, such as data values, data	marks
		collections, or references to other objects, represented as a property.	
	b)	(2) simulates the components that are called by the tested	
		component.	
	c)	is a description of how a user will use the system-to-be to	
		accomplish business goals	
	d)	(4)who needs to work together, not how they work together	
	e)	is a particular choice of input data to be used in testing a program	
	f)	Do not take on too many computation responsibilities is(6)	
	g)	(7)requirements define factors, such as I/O formats, storage	
		structure, computational câpabilities, timing, and synchronization.	
İ			

Best Wishes, Dr. Hanaa A. Sayed

يسم الله الرحمن الرحيم



القصل الدراسي الأول ٢٠١٦-٢٠١٨م

قسم الرياضيات _ كلية العلوم

Scientific Computing (1) (451MC)

Answer the following questions:

- 1-a) Explain the Box-Muller transformation method to generate random sample of size n from the Normal distribution with mean $\boldsymbol{\mu}$ and standard deviation $\boldsymbol{\sigma}$, and write the corresponding algorithm- (7 Marks)
- b) Use an appropriate method to generate random sample of size n from the discrete uniform distribution with probability density function

$$f(x) = \frac{1}{n}, x = 1, 2, ..., n$$
 (6 Marks)

2-a) Use the importance sampling method to compute the integrals: (6 Marks)

(i)
$$\Phi(t) = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{t} e^{-\frac{z^2}{2}} dz$$
, (ii) $\int_{a}^{\infty} \frac{1}{1+x^2} dx$

- b) Use the central limit theorem to generate random sample of size n from the binomial distribution with parameters n and p, and write the corresponding algorithmite (6 Marks)
- 3-a) Explain Who to use the Monte Carlo integration method to compute the integrals: (i) $\int_0^{0.5} \sin x \, dx$, (ii) $\int_{-1}^1 |x| \, dx$
- b) Use an appropriate method to generate random sample of size n from the Beta distribution with probability density function $f(x) = \frac{1}{B(\alpha.\beta)} x^{\alpha-1} (1-x)^{\beta-1}$,

0<x<1, and write the corresponding algorithm (6 Marks)

4-a) Write-the algorithm and use the Newton method to solve the following non linear equations: $e^{x} - e^{y} = 0$, $\ln(1 + x + y) = 0$, $x_0 = y_0 = 0.5$ b- Compute the constant and linear approximations for the following function by using LSP: $y(t) = e^t$, [0,1] (6 Marks)

Good Juck



Final Exam for Level 4

Subject: Software Design and Engineering Course No. MC467 Time: 2 Hours Mathematics Dept.

Faculty of Science

Assiut University

Answer the following questions (50 marks)

Q1	a) What are the framework activities?	15 marks							
	b) Describe the V-Shaped SDLC model for software development and list three								
	advantages and weaknesses for this software development.								
	c) What are the main differences between equivalence testing and boundary testing								
Q2	a) State the requirements and use cases for the following user story" the system								
	reads the barcode of the product and display the data of it such as price, weight, type and remaining amount of this product. If the remaining amount is less than								
	30 a red light flashes and add this type to required types "								
كالمساعد المراجع المرا	b) Define the concepts and extract the responsibilities for each concept.								
Q3	Show system sequence diagram and domain model for Unlock Use case.	10 marks							
	Use Case UC-1: Unlock Related Requirements: REQ1, REQ3, REQ4, and REQ5 stated in Table 2-1 Initiating Actor: Any of: Tenant, Landlord To disarm the lock and enter, and get space lighted up automatically.								
	Participating Actors: LockDevice, LightSwitch, Timer The set of valid keys stored in the system database is non-empty. Preconditions: The system displays the menu of available functions; at the door keypad the menu choices are "Lock" and "Unlock."								
		1							
	Postconditions: The auto-lock timer has started countdown from autoLockInterval.								
	Postconditions:								
. :	Postconditions: autoLockInterval. Flow of Events for Main Success Scenario: 1. Tenant/Landlord arrives at the door and selects the menu item "Unlock"								



Assiut University
Faculty of Engineering
Electrical Engineering Dept
1st Term - Final Exam
2016/2017 - Jan 2017

4th Level Computer Science Course: Computer Organization

Time: 2 Hours
Max Points: 50



Important • No. of pages: 3 - No. of questions: 4 + 1 Bonus

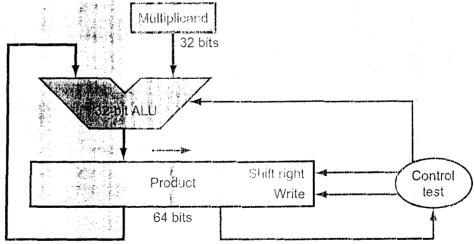
ATTEMPT ALL QUESTIONS.

QUESTION (12 POINTS)

- (a) (3 pts) State Moore's law. When and why was it no-longer applicable to microprocessor technology?
- (b) (3 pts) Write down the binary representation of the decimal number 14.125 assuming the IEEE 754 single precision format.
- (c) (6 pts) Translate the following C code to MIPS assembly code. Use a minimum number of instructions. Assume that the values of a, b, i, and j are in registers \$s0, \$s1, \$t0, and \$t1, respectively. Also, assume that register \$s2 holds the base address of the array D.

QUESTION 2 (12 POINTS)

- (a) (2 pts) Provide the hexadecimal representation of the machine code of following instruction: sw \$t1, 32 (\$t2)
- (b) Assume that the following multiplication circuit is used but with multiplying only 4-bit numbers (both multiplicand and multiplier are 4-bits).



- (i) (1 pts) What will the size of the Product register be?
- (ii) (2 pts) How many shift operations will be executed by the control unit until we have the answer?
- (iii) (7 pts) Create a table showing the contents of the two registers in the figure as we start the operation and after each edition and shift operations until obtaining the final ariswer. Assume we are multiplying 6 by 5.

QUEST ON 3 (10 POINTS)

(a) (3 pts) State the role of each of the following MIPS registers in procedure calling: \$a0, \$v0, \$s0, \$t0, \$sp, and \$ra.

Faculty of Science كلية العلوم قسم الرياضيات **Department of Mathematics** امتحان نهائي الفصل الدراسي الاول ٢٠١٦-٢٠١٧ التاريخ: 🌣 – ۱ –۲۰۱۷ للفرقة: الرابعة علوم شعبة: رياضيات ــادة هيدروديناميكا ومرونة الزمن: ساعتان الدرجة الكلية: ٥٠ درجة رقم المقرر ورمزه: ٤٣١ر ب عن أربعة أسئلة فقط مما يأتى :-(۱۲.۵ درجة لكل سؤال) (٥.٦ درجة) ١- (أ) برهن قانون التبادل في الإجهاد المماسي . رب) إذا كانت مصفوفة الإجهادات المؤثرة على نقطة ما في جسم مرن مجهد هي $\begin{bmatrix} 20 & 12 & -16 \\ 12 & 40 & -8 \end{bmatrix}$ بوحدة قوى . احسب الإجهادات المماسية على السطح الموازي للمحور OX بحيث يصنع العمودي عليه زاوية 45⁰ مع المحور Oy . (۱ در جات) ٢- (أ) استنتج مجسم سطح الإنفعال . (٤ در جات) (ب) احسب مركبات متجه الإزاحة \bar{r} إذا علم أن مركبات الإنفعال هي (۸.۵ درجة) $\varepsilon_{x} = \varepsilon_{y} = ax$, $\varepsilon_{z} = -bx$, $\varepsilon_{xy} = \varepsilon_{yz} = \varepsilon_{zx} = 0$ ٣- (أ) استنتج المعادلة الاستاتيكية الاتجاهية المرنة. (٦ درجات) ب) منبع خطي شدته m يبعد مسافة c عن محور اسطوانة دائرية نصف قطرها a إذا كان محور الاسطوانة يوازي المنبع الخطي ، ادرس الحركة. (6.5 نرجة) ٤) ١) استنتج معادلات حركة مائع لزج غير قابل للتضاغط. (6.5 در جة) ب) اسطوانة مقطعها مربع محدد بالمستقيمات x=y= +a . أوجد قانون السرعة لمائع لزج غير قابل للتضاغط ينساب داخل هذه الاسطوانة الطويلة. (6 در جات) ٥) أ) استخدم نظرية باي للتحليل البعدي في حساب قانون المقاومة على وحدة السطوح من جدار انبوبة بفرض انها دالة في كل من معامل اللزوجة والكثافة و القطرو السرعة المتوسطة للتدفق. (6 درجات) (3 درجات) ب) اكتب مع البر هان نظرية بلازيوس. (3.5درجة) ج) استنتج معادلات الطبقة الجدارية في بعدين.

بسم الله الرحمن الرحيم



القصل الدراسي الأول ٢٠١٦-٢٠١٨م

قسم الرياضيات _ كلية العلوم

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- b) Use an appropriate method to generate random sample of size n from the Beta distribution with probability density function $f(x) = \frac{1}{B(\alpha.\beta)} x^{\alpha-1} (1-x)^{\beta-1}$,

0<x<1, and write the corresponding algorithm (6 Marks)

4-a) Write-the algorithm and use the Newton method to solve the following non linear equations: $e^{x} - e^{y} = 0$, $\ln(1 + x + y) = 0$, $x_0 = y_0 = 0.5$ b- Compute the constant and linear approximations for the following function by using LSP: $y(t) = e^t$, [0,1] (6 Marks)

Good Luck

Fifth Question (13 Degree)

(a) Let B(X,Y) be the space of all linear and bounded operators on a normed space X

into a normed space Y. Prove that if Y is a Banach space then B(X,Y) is also a Banah space.

(b) Let $f:C[0,1] \rightarrow R$ be a functional defined by:

$$f(x) = \int_{a}^{b} x(t) dt$$
, $x(t) \in C[a,b]$.

Show that f is linear, bounded and ||f|| = b - a.

(C) Give an example of a metric space which is not a normed space with proof.

Prof.R.A.Rashwan

The End

كود المقرر: 427 ر	ينابر2017		جامعــــة أسيــوط
المقرر: موضوعات مختارة في الرياضيات(2)			كلية العلوم
الزمن : ثلاث ساعات		r	قسم الرياضيات

Answer the following questions by using MATLAB language: (50 marks)

- 1- (a)- Write a MATLAB program to compute an iterative formula $\sqrt[n]{N}$, where N is a positive number and hence find $\sqrt[3]{19}$?
- (b) Using the Bisection Method to find a solution to f(x) = 0
 - (I) Write a MATLAB program for approximating the solution to $2x^3 - x^2 + 5 = 0$ for $-2 \le x \le -1$ to within 10^{-5}
 - (II) Compute the exact solution using MATLAB.
 - (III) Compute the actual error.

2- (a) Using Lagrange interpolation polynomial, write a MATLAB program for approximating y(0.1) and y'(0.1) from the table below:

X	0.0	0.2	0.4	0.6	0.8
Y	1.000	1.22140	1.49182	1.82212	2.22554

(b) Solve the system of differential equations by the Runge Kutta method of order 4:

$$\frac{dx}{dt}=x+2y, \quad \frac{dy}{dt}=3x+2y, x(0)=6, y(0)=4$$
, $n=100, 0 \le t \le 1$, and compare them with the analytic solution

$$x(t) = 4e^{4t} + 2e^{-t}$$
, $y(t) = 6e^{4t} - 2e^{-t}$.

- $x(t) = 4e^{4t} + 2e^{-t}, \quad y(t) = 6e^{4t} 2e^{-t}.$ 3- (a) Write a MATLAB program for approximating $\int_0^1 \frac{2}{6x+3} dx$ using the composite Simpson's Rule at n=10 and use it to calculate approximately ln 3.
 - (b) Solve the differential equation by Taylor's method of order 4:

$$\frac{dy}{dt} = 2ty^2$$
, $y(0) = 1$, $h = 0.01$

 $\frac{\frac{dy}{dt}=2ty^2,\ y(0)=1\,,h=0.01\,.}{4\text{-(a) Solve the differential equation by Hamming method at x=0.2:}}$

$$\frac{dy}{dt} = t^2 - y$$
, $y(0) = 1$, $h = 0.05$

and compare it with the analytic solution $y = -e^{-t} + t^2 - 2t + 2$.

- (b) Which does MATLAB language consist?, what are the types of constants and variables in the language of MATLAB?
- 5- Solve the differential equation by finite difference method:

$$\frac{d^2y}{dx^2} + y = 0, \ y(0) = 1, \ \frac{du}{dx}(0) = 0, \ 0 \le x \le 5, \ \Delta x = 0.1.$$

Good Luck

MIPS Reference Cheat Sheet

INSTSTRUCTION SET (SUBSET)

ı	33 E			
l	Name (formatiop, funct)	Synta	ix 💮 🐧 🐧	Operation
Į	add (R,0,32)	add	rd, rs, rt	reg(rd) := reg(rs) + reg(rt);
Į	add immediate (I,8,na)	addi	rt,rs,imm	reg(rt) := reg(rs) + signext(imm);
ł	add immediate unsigned (1,9.na)	addi	u rt,rs,imm	reg(rt) := reg(rs) + signext(imm);
۱	add unsigned (R,0,33)	addu	rd,rs,rt	reg(rd) := reg(rs) + reg(rt);
١	and (R,0,36)	and	rd,rs,rt *	reg(rd) := reg(rs) & reg(rt);
1	and immediate (i,12,na)	andi	rt,rs,imm	reg(rt) := reg(rs) & zeroext(imm);
l	branch on equal (I,4,na)	beq	rs, rt, label	if reg(rs) == reg(rt) then PC = BTA else NOP;
l	branch on not equal (1,5,na)	bne	rs,rt,label	if reg(rs) != reg(rt) then PC = BTA else NOP;
I	jump and link register (R,0,9)	jalr		\$ra := PC + 4; PC := reg(rs);
١	jump register (R,0,8).	jғ	rs	PC := reg(rs);
١	jump (J,2,na)	j	label	PC := JTA;
1	jump and link (J,3,na)	jal	label (\$ra := PC + 4; PC := JTA;
l	load byte (1,32 na)	1b	rt,imm(rs)	reg(rt) := signext(mem[reg(rs) + signext(imm)]7:0);
l	load byte unsigned (1,36,na)	lbu	rt,imm(rs)	reg(rt) := zeroext(mem(reg(rs) + signext(imm)),0)
l	load upper immediate (I,14,na)	lui	rt,imm	reg(rt) := concat(imm, 16 bits of 0);
	load word (I,35,na)	lw		reg(rt) := mem[reg(rs) + signext(imm)];
١	multiply, 32-bit result (R,28,2)	mul	rd,rs,rt	reg(rd) := reg(rs) * reg(rt);
l	nor (R,0,39)	nor	rd,rs,rt	reg(rd) := not(reg(rs) reg(rt));
l	or (R,0,37)	or		reg(rd) := reg(rs) reg(rt);
	or immediate (i,13,na)	ori		reg(rt) := reg(rs) zercext(imm);
	set less than (1,0,42)		rd,rs,rt	reg(rd) := if reg(rs) < reg(rt) then 1 else 0;
	set less than hisigned (R,0,43)		rd,rs,rt 🦭	reg(rd) := if reg(rs) < reg(rt) then 1 else 0;
١	set less than immediate (I, 10, na)		. 4	reg(rt) := if reg(rs) < signext(imm) then 1 else 0;
	set less than immediate	sltiv	rt,rs,imm	reg(rt) := if reg(rs) < signext(imm) then 1 else 0;
	unsigned ([[i]1,na)			
	shift left logical (R,0,0)	sll		reg(rd) := reg(rt) << shamt;
	shift left logical variable (R,0,4)	sllv	rd,rt,rs	$reg(rd) := reg(rt) << reg(rs_{4:0});$
	shift right arithmetic (R,0,3)	sra		reg(rd) := reg(rt) >>> shamt;
١	shift right logical (R,0,2)	srl		reg(rd) := reg(rt) >> shamt;
l		srlv	rd,rt,rs	reg(rd) := reg(rt) >> reg(rs _{4:0});
	store byte (I,40,na)	sb	rt,imm(rs)	$mem[reg(rs) + signext(imm)]_{7:0} := reg(rt)_{7:0}$
l	store word (I,43,na)	SW	rt,imm(rs)	mem(reg(rs) + signext(imm)) := reg(rt);
l	subtract (R,0,34)	sub		reg(rd) := reg(rs) - reg(rt);
	subtract unsigned (R,0,35)	udus		reg(rd) := reg(rs) - reg(rt);
	xor (R,0,38) # #	xox	- AC.	$reg(rd) := reg(rs) \land reg(rt);$
ĺ	xor immediate (1,14,na)	xori	rt,rs,imm	reg(rt) := rerg(rs) ^ zeroext(imm);
	1964 M. C.			

Definitions

- Jump to target address: JTA = concat((PC + 4)_{31:28}, address(label), 00₂)
- Branch target address: BTA = PC + 4 + imm * 4

- All numbers are given in decimal form (base 10).
- Function signext(x) returns a 32-bit sign extended value of x in two's complement form.
- Function zeroext(x) returns a 32-bit value, where zero are added to the most significant side of x.
- Function concat(x, y, ..., z) concatenates the bits of expressions x, y, ..., z.
- Subscripts, for instance X_{8.2}, means that bits with index 8 to 2 are spliced out of the integer X.
- Function oddress(x) means the address of label x.
- NOP and the means "no operation" and "not applicable", respectively.
 shamt is a abbreviation for "shift amount", i.e. how much bit shifting that should be done.

REGISTERS

Name	Number	Description
\$zero	0	constant value 0
\$at	1	assembler temp
\$v0	2	function return
\$v1	3	function return
\$a0	4	argument
\$a1	5	argument
\$a2	6	argument
\$a3	7	argument
\$t0	8	temporary value
\$t1	9	temporary value
\$t2	10	temporary value
\$t3	11	temporary value.
\$t4	12	temporary value
\$t5	13	temporary value
\$t6	14	temporary value
- \$t7	15	temporary value
\$s0	16	saved temporary
\$51	17	saved temporary
\$s2	18	saved temporary
\$s3	19	saved temporary
\$s4	20	saved temporary
\$s5	21	saved temporary
\$\$6	22	saved temporary
\$s7	23	saved temporary
\$t8	24	temporary value
\$t9	25	temporary value
\$k0	26	reserved for OS
\$k1	27	reserved for OS
\$gp	28	global pointer
\$sp	29	stack pointer
\$fp	30	frame pointer
\$ra	31	return address

IEEE 754 Float-Point Formats

Floating Point Components

	Sign	Exponent	Fraction #
Single Precision;			
Double Precision	1 [63]	11 [62–52]	52 [51-00]

INSTRUCTION FORMAT

	31	26	25 21	20 16	15	11 10	6.5	0
	or		rs	rt	rd	shan	nt	funct
٠.'	6 b	ts	5 bits	5 bits	5 bits	5 bi	ts	

3	31 26 25 21		20 16 15		0
Γ	ор	rs	rt.	immediate	
	6 bits	5 bits	5 bits	16 bits	_

31	2	6 25		0
-29 - 3	ор		address	
4	6 bits		26 bits	

Version 1.0, December 19, 2014



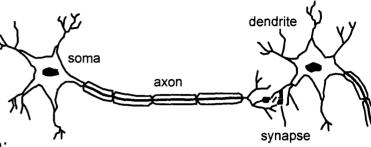
University: Assiut Faculty: Science Dept.: Math. Neural Networks Final Exam 16/17 459 Time: 2 Hours 5/1/2017
Level 4



Question 1: 10 points.

1. List three definitions for Machine Learning.

2. Explain the following figure:



Question 2: 10 points.

Use Perceptron algorithm to learn the function:

$$\left\{\mathbf{p}_{1} = \begin{bmatrix} 1 \\ -1 \\ -1 \end{bmatrix}, t_{1} = \begin{bmatrix} 0 \end{bmatrix}\right\}, \left\{\mathbf{p}_{2} = \begin{bmatrix} 1 \\ 1 \\ -1 \end{bmatrix}, t_{2} = \begin{bmatrix} 1 \end{bmatrix}\right\}$$

Question 3: 15 points

1. Explain Naïve Bayes algorithm.

2. Consider a table containing the following instances:

age	income	student	credit_rating	buys_computer
<=30	high	No	fair	no
<=30	high	No	excellent	no
3140	high	No	fair	yes
>40	medium	No	fair	yes
>40	low	Yes	fair	yes
>40	low	Yes	excellent	no
3140	low	Yes	excellent	yes
<=30	medium	No	fair	no
<=30	low	Yes	fair	yes
>40	medium	Yes	fair	yes
<=30	medium	Yes	excellent	yes
3140	medium	No	excellent	yes
3140	high	Yes	fair	yes
>40	medium	No	excellent	no

Using Naïve Bayes approach to predict the class label for the test sample $X = (age \le 30, Income = medium, Student = yes, Credit rating = Fair)$

Question 4: 15 points

- 1. What is the goal of the SVM algorithm? When can be it successfully applied?
- 2. What is the margin? Which are the equations of the two margin hyperplans H+ and H-?
- 3. Summarize the main advantages and limitations of SVM.



Final Exam for Level 4 Faculty of Science

Subject: Computer Graphics MC461

Time: 2 Hours

Mathematics Dept. **Faculty of Science Assiut University**

Q.1

Choose the correct answer (15 marks) 1. The input to the system is the scene description and output is a static or animated scene to be displayed in a) Active Graphics systems b) Passive Graphics systems c) A and b2. is the specification of an Application Programming Interface (API) a) Gl library b) Glu library c) Glut library 3. configures the type of window we want to use with our application. a) glutInit() b) glutInitDisplayMode() c) glutCreateWindow(), 4. selects which matrix subsequent functions will affect a) glMatrixMode() b) glLoadIdentity() c) glOrtho() 5. Rotation about an arbitrary point P in 2D space steps are:.... a) Translate by (-Px, -Py), Rotate and Translate by (Px, Py) b) Translate by (-Px, -Py), Translate by (Px, Py) and Rotate c) Rotate, Translate by (-Px, -Py) and Translate by (Px, Py) 6. where the scene and viewing specification is made a) World Space b) Object Space c) Screen Space 7. is used to rotate point around X axis a) glRotatef(90.0, 0.0, 0.0, 1.0); b) glRotatef(90.0, 1.0, 0.0, 0.0); c) glRotatef(90.0, 0.0, 1.0, 1.0); 8. glutSetWindow used to..... a) find out which window is currently b) destroy windows c) select a window to render 9. allow us to use area averaging instead of point samples a) Wrapping parameters b) Filter modes c) Clamping

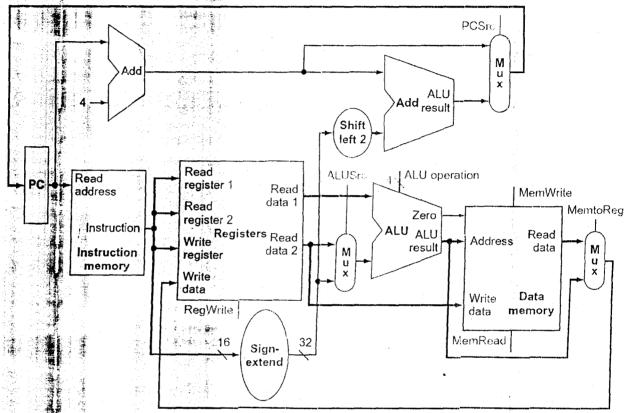
10..... single color per polygon

a) Smooth shading b) Flat shading c) Wireframe

(b) (7 pts) Implement the C function strcount (char* str, char x) in MIPS Assembly. The function accepts a string str of ASCII characters terminated with the NULL character, and a character x. It returns the number of occurrences of the character x in the string str. For example, strcount ("hello", '1') returns 2.

Question 4 (16 points)

Answer the following questions using the given simplified single-clock MIPS processor design:



- (i) (2 pts) Why must this design have separate instruction and data memories?
- (ii) (9 pts) What are the values of the control signals: RegWrite, MemRead, ALUSrc, MemWrite, ALUoperation, MemtoReg, and PCSrc in each of the following instructions:
 - 1) add \$t2, \$t2, \$t3
 - 2) lw \$t1, 8(\$s2)
 - 3) beq \$t1, \$2, offset
- (iii) (2 pts) If the offset in a jump instruction is 0x8E47, what are the outputs of the sign-extend and the jump "Shift left 2" units?
- (iv) (1 pts) What is the ALU's Zero output needed for?
- (v) (2 pts) Why is a single-cycle processor implementation NOT used Today?

BONUS QUESTION 5 (5 POINTS)

Consider three branch prediction schemes: predict not taken, predict taken, and dynamic prediction. Assume that they all have zero penalty when they predict correctly and two cycles when they are wrong. Assume that the average predict accuracy of the dynamic predictor is 90%. Which predictor is the best choice for the following branches?

- (i) A branch that is taken with 5% frequency
- (ii) A branch that is taken with 95% frequency
- (iii) A branch that is taken with 70% frequency



1st Term 2016/2017 Date: January, 11, 2016

Final Exam for Level 1

Subject: Computer Science MC100

Time: 2 Hours

50 marks

Mathematics Dept.
Faculty of Science
Assiut University

Date: January, 11, 2010					
Choose the correct a	_		r table:		
Section 1: from 1 to 20 (20 marks)					
			one"		
1 temporarily	stores data and pro	gram instructions	during processing		
a) Primary storage	b) RAM	c) ALU	d) Secondary storage		
2. The devices convert display them in a for	•	-	puter system and		
a) Input devices	b) Output	c)	d) control unit		
	devices	Communication devices			
3. The devices provide communications net		en the computer a	and		
a) Input devices	b) Output	c)	d) control unit		
	devices	Communication devices			
4. Where the manipula	•		s occurs, and it		
a) RAM	b) ROM	c) system	d) CPU		
	b) NOW	board			
5. Directs and coordina	ates operations in co	omputer			
a) Control unit	b) CPU	c) RAM	d) ROM		
6. A visual display unit	is an example of				
a) output device	b) input/output	c) backup	d) mediums		
	devices	devices			

4- Find the curvature and torsion of the curve : $r=\{4\ e^u\ ,\ e^{2u}\ ,\ 4u+5\}$ and prove that the curve is a Helix. Find its angle and the constant direction . If ϕ , ψ and θ are the angles which the curve makes with the coordinate axes, then prove that

$$\cos \phi + \cos \psi = 1$$
 , $\cos^2 \theta = 2 \cos \phi \cos \psi$ (10 marks)

- 5- a) Prove that the necessary and sufficient condition that the involutes of a given curve C in a plane curve is that the curve C be Helix. (5 marks)
 - b) Find the equation of the involute of the circle:-

$$X = a\cos\theta \underline{e_1} + a\sin\theta \underline{e_2} \quad , \quad a > 0$$
 (5 marks)

6- a) Show that for a curve lying on a Sphere of radius a and such that the torsion τ is never 0, the following equation satisfied:-

$$\left(\frac{1}{\kappa}\right)^2 + \left(\frac{\kappa'}{\kappa^2 \tau}\right)^2 = a^2$$

(5 marks)

b) Determine the curvature $\kappa(u)$ and the torsion $\tau(u)$ of the curve given by:

$$\underline{r} = \{a(u - \sin u), a(1 - \cos u), bu\}$$

Prove that:

$$\tau(0) \ \tau(\pi/2) \ (a^2 + b^2) = 1$$
 (5 marks)

انتهت الأسئنة مع اجمل تمنياتنا بالنجاح والتوفيق

لجنة الممتحنين :-

ا. د/ احمد عبد المنصف علام - د/ راوية عبد الرحمن حسين الرحمة عبد الرحمن حسين الرحمة عبد الرحمة الرحمة حسين الرحمة عبد الرحمة الرحمة حسين الرحمة
Q.2 What are the differences between? (10 marks) a) the function glOrtho() and the function gluPerspective() b) Double-buffering and depth buffer c) Magnification and Minification Q.3 Write the display function that draws the scene shown in the image below(15 marks) Q.4 Write the display function that draws the scene shown in the image below (10 marks)

Best Wishes, Dr. Hanaa A. Sayed



Dept. of Mathematics Faculty of Science Assiut University Jan. 10, 2017

Course:Functional Analysis Code: 411 M B.Sc Exam Time: 2 Hours



Answer four questions only from the following questions:

First Ouestion (12 Degree)

(a) Are d as defined below by:

$$d(x,y) = (x_1 - y_1)^2 + (x_2 - y_2)^2$$
, $x = (x_1,x_2), y = (y_1,y_2), x,y \in \mathbb{R}^2$,

defines a metric on R^2 .

- (b) Show that every convergent sequence in a metric space (X,d) is a Cauchy sequence but the converse is not true.
- (c) Show that the space ℓ^{∞} with a metric : $d(x,y) = \sup_{i=1}^{\infty} |x_i y_i| + x_i, y_i \in \ell^{\infty}$ is complete. Second Ouestion (12 Degree)
- (a) Give an example of non-complete metric space with proof.
- (b) Let T be a mapping of (R,d) into itself. Show that the condition:

$$d(Tx,Ty) < d(x,y)$$
, $x \neq y$

is insufficient for the existence of a fixed point of T.

(c) If T is a contraction mapping ,show that $T^n (n \in N)$ is a contraction .If T^n is a contraction for n > 1.

Show that T need not be a contraction.

Third Question (13 Degree)

(a) Using Banach fixed point theorem to show that the differential equation:

$$y'(t) = f(t, y(t))$$
, $y(a) = y_0$,

has a unique solution in C[a,b].

- (b) Prove that every finite dimensional subspace Y of a normed space X is complete.
- (c) Let $X = R^n$ with the norm:

$$||x||_p = \left(\sum_{i=1}^n |x_i|^p\right)^{1/p}, 0 2, x \in \mathbb{R}^n.$$

Show that $(X, \| \cdot \|_p)$ is not a normed space.

Fourth Question (13 Degree)

- (a) Prove that the space $\ell^p \left(1 \le p \le \infty\right)$ with a norm : $\|x\|_p = \left(\sum_{i=1}^\infty |x_i|^p\right)^{1/p}$ is a Banach space
- (b) Show that any two norms $\| \|_1$ and $\| \|_2$ on \mathbb{R}^n are equivalent, and give examples with proof

for two equivalent norms and for two nonequivalent norms.

(c) Prove that on a finite dimensional normed space $(X, \| \ \|)$ every linear operator on X is bounded, and show that a differential operator is unbounded.

Department of Mathematics		قسم الرياضيات			
Faculty of Science	الماليونية	كلية العلوم			
امتحان نهائي الفصل الدراسي الاول ٢٠١٧/٢٠١٦م					
تاريخ الامتحان ٢٠١٧/١/٢	الكلية: ٥٠ درجة	المستوى الرابع الدرجة			
الزمن: ثلاث ساعات		المقرر: (١٤) ر) معادلات تفاضلية جزئية			
أجب عن خمسة فقط مما يأتي: (١٠ درجات عن كل سؤال ـ بواقع ٥ درجات عن كل فقرة)					

١ - أ) باستخدام طريقة لابلاس - أوجد الحل العام للمعادلة التفاضلية

$$6t - s - r = 18 x - 4 y$$

 $z = 3 xp + 3 yq + \frac{1}{z^6 n q}$: عين كلا من الحل الكامل والحل المفرد للمعادلة التفاضلية :

٢- أ) باستخدام طريقة أويلر - أوجد الحل العام للمعادلة التفاضلية

$$y^2 u_{yy} + 2 x y u_{xy} - y u_y = \frac{y^2}{x^2}$$
.

ب) بفرض أن $u_{rr} + \frac{2}{r}u_r = \frac{1}{c^2}u_u$ هو حل للمعادلة التفاضلية $u_{rr} + \frac{2}{r}u_r = \frac{1}{c^2}u_u$ هو حل للمعادلة التفاضلية $u_{rr} + \frac{2}{r}u_r = \frac{1}{c^2}u_u$ عورض أن r=0 المعادلة التفاضلية العادية التي تحققها الدالة f(r) وأعط الحل العام لها. واذا علم أنه لجميع قيم t يكون المحدودة عند . tan $\beta=\beta$ وأن $u\neq 0$ تطابقيا. فاثبت أن $\frac{\omega}{c}=\beta$ يجب أن تحقق المعادلة $u\neq 0$ وأن r=a عند $u_r=0$

الكامل الكارم الكرم الكرم الكون النظام $p_1+p_3=p_2+1$ ، $p_1x_1+p_2x_2=p_3^2$ متوافق ، ثم أوجد الحل الكامل (-1 لهذا النظام

r - y $p = e^{xy}$ أوجد الحل العام للمعادلة التفاضلية

 $(x_2 + x_3)(p_2 + p_3)^2 + z$ باستخدام طريقة جاكوبي — أوجد الحل الكامل للمعادلة التفاضلية $(x_2 + x_3)(p_2 + p_3)^2 + z$

ب) أوجد حل المعادلة التفاضلية u=XY على الصورة u=XY على الصورة u=XY على دوال مثلثية فقط، . $u_x = -\cos(2y)$ when x = a ، $u \to 0$ as $x \to \infty$ الشروط والدالة u

> ٥- أ) باستخدام طريقة شاربت - عين كلا من الحل الكامل والحل المفرد (إن وجد) للمعادلة التفاضلية $p=-yq+q^2$.

ب) حل معادلات البث : $I(x,0) = I_0$, $V(x,0) = V_0 \sin(\frac{\pi x}{I})$ و التي تحقق الشروط $V_x = -LI_t$, $I_x = -cV_t$ حيث $V_x = -LI_t$ هو $c \in \mathbb{R}^+$ ، (معامل الحث I ، التيار ، التيار ،

 $q^2r - 2pqs + p^2t = 0$ باستخدام طريقة مونج - عين الحل الكامل للمعادلة التفاضلية - باستخدام طريقة مونج

ب) أوجد الحل العام للمعادلة التفاضلية $z_{xv}=x^2y$ ثم أوجد الحل الخاص الذي يحقق الشروط

 $z(x,0) = x^2, z(1,y) = \cos y$

د. محمد عبدالله عبدالرازق.

انتهت الأسئلة ،،،